



# Med Devices: PMS/PMCF When AE Reporting is Low

Sample size estimation is an important step before undertaking any clinical study. However, the entire process depends upon the number of patients to be included for the proposed study. The purpose of this paper is to provide a reference table containing sample size required for a post marketing clinical trial when there is no background incidence of adverse events in the general population. The table provides sample size for various options such as the expected incidence rate of adverse reactions and the number of occurrence of a particular adverse reaction along with various statistical powers.

### Sample size Estimation when there is no background incidence of Adverse Events

If the expected incidence rate of adverse reactions is  $\lambda$ , the expected number of occurrences of a particular adverse reaction is  $a$  and the number of patients required to be studied is  $N$ . This  $N$  needs to be estimated. If the incidence of adverse reactions is reasonably low and for a given statistical power  $(1-\beta)$ ,  $N$  satisfies the following method.

$$\sum_{x=0}^{a-1} \frac{(N\lambda)^x e^{-N\lambda}}{x!} = \beta$$

When  $a = 1$  (i.e., when adverse reaction expected to occur only in one patient) then the above equation simplifies to

$$N = \frac{-\log \beta}{\lambda}$$

For  $a > 1$  there is no simple expression for the solution for the above equation but the same can be solved by using simulation methods. Thus the required sample size could be estimated from the above equations.

The following table gives required sample size for various options such as expected incidence rate of adverse reactions ( $\lambda$ ), the number of occurrence of a particular adverse reaction ( $a$ ) and statistical power  $(1-\beta)$ .

Table 1: Sample sizes required to observe a total of  $a$  adverse reactions with a given probability  $1-\beta$  and anticipated incidence  $\lambda$ .

$\lambda$	a	Statistical Power					
		50%	60%	70%	80%	90%	95%
		96688	104757	113873	125188	142060	157053
<b>0.001</b>	<b>1</b>	694	917	1204	1610	2303	2996
	<b>2</b>	1679	2023	2440	2995	3890	4744
	<b>3</b>	2675	3106	3616	4280	5323	6296
	<b>4</b>	3673	4176	4763	5516	6681	7754
	<b>5</b>	4671	5237	5891	6721	7994	9154
	<b>6</b>	5671	6292	7006	7906	9275	10514
	<b>7</b>	6670	7343	8112	9076	10533	11843
	<b>8</b>	7670	8390	9209	10233	11771	13149
	<b>9</b>	8669	9434	10301	11380	12995	14435
	<b>10</b>	9669	10476	11388	12519	14206	15706

<b>0.005</b>	<b>1</b>	139	184	241	322	461	600
	<b>2</b>	336	405	488	599	778	949
	<b>3</b>	535	622	724	856	1065	1260
	<b>4</b>	735	836	953	1104	1337	1551
	<b>5</b>	935	1048	1179	1345	1599	1831
	<b>6</b>	1135	1259	1402	1582	1855	2103
	<b>7</b>	1334	1469	1623	1816	2107	2369
	<b>8</b>	1534	1678	1842	2047	2355	2630
	<b>9</b>	1734	1887	2061	2276	2599	2887
	<b>10</b>	1934	2096	2278	2504	2842	3142
<b>0.01</b>	<b>1</b>	70	92	121	161	231	300
	<b>2</b>	168	203	244	300	389	475
	<b>3</b>	268	311	362	428	533	630
	<b>4</b>	368	418	477	552	669	776
	<b>5</b>	468	524	590	673	800	916
	<b>6</b>	568	630	701	791	928	1052
	<b>7</b>	667	735	812	908	1054	1185
	<b>8</b>	767	839	921	1024	1178	1315
	<b>9</b>	867	944	1031	1138	1300	1444
	<b>10</b>	967	1048	1139	1252	1421	1571

Sample size estimation is an important step in the planning of a post marketing clinical trial especially when there is no background incidence of adverse events in general population. The information provided above would certainly help clinical teams to simplify calculations to estimate sample size for the proposed study. Thus the table could be used as a ready reckoner for any post marketing clinical research to estimate the adverse events.

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